

# A Verification System for Distributed Objects with Asynchronous Method Calls

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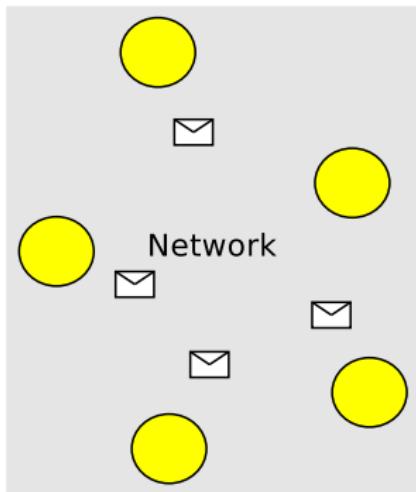
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# Verification Subject: System Level

- language based on Creol
- distributed system of objects
- message passing
- communication via (co)interfaces
- asynchronous communication:

```
label ! obj . meth( x , y );  
...;  
label ? ( z );
```

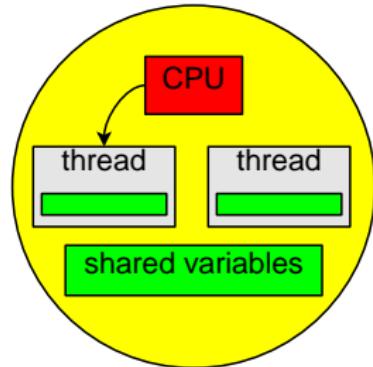


# Verification Subject: Object Level

- one CPU per object
- method invocation: thread creation
- at most one active thread
- communication: shared variables
- cooperative scheduling  
⇒ release points:

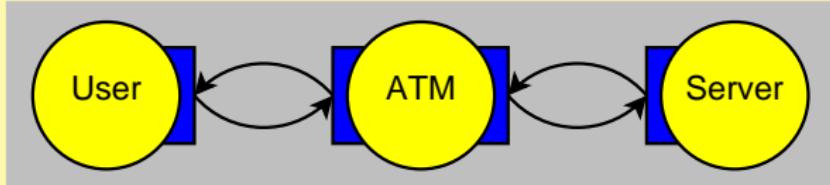
**release**

**await exp**



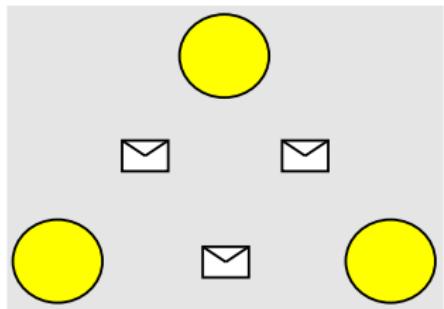
# Example: Automated Teller Machine

```
interface S
  with ATM_S
    op authorize(in cardId:Int, code:Int;
                  out ok:Bool)
    op debit(in cardId:Int, amount:Int;
              out ok:Bool)
  end
```



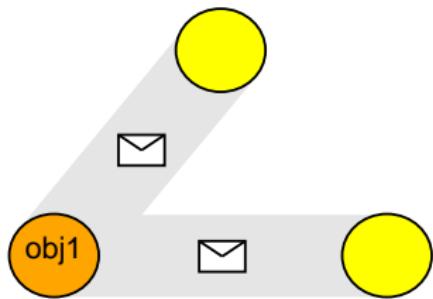
# Specification: History

- system-wide ghost variable  $\mathcal{H}$
- sequence of messages:
  - invocation
  - completion
  - object creation



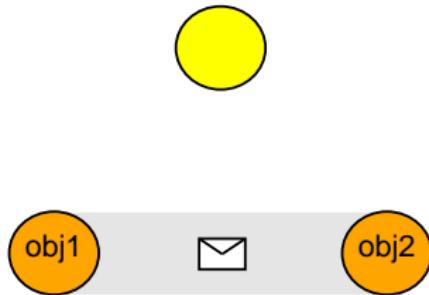
# Specification: History Projections

- Aim: modular verification
- messages sent or received by  $\text{obj1}$ :  $\mathcal{H}/\text{obj1}$
- projection:  
 $\mathcal{H}/\text{obj1} = \mathcal{H}/\text{obj1}/\text{obj1}$
- ensure well-formedness:  
 $Wf(\mathcal{H}/\text{obj1})$



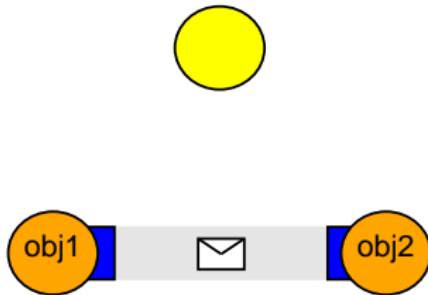
# Specification: History Projections

- messages sent between obj1 and obj2:

$$\mathcal{H}/\text{obj1}/\text{obj2}$$


# Specification: History Projections

- messages sent between obj1 and obj2 via interface  $I$ :

$$\mathcal{H}/\text{obj1}/\text{obj2}/I$$


# Example: Interface Specification

$$\mathcal{H}/\text{obj1}/\text{obj2}/S \leq \left( \text{auth}_{\rightarrow}(cid, .) \cdot \left( \text{auth}_{\leftarrow}(ff) \left| \left( \begin{array}{l} \text{auth}_{\leftarrow}(tt) \\ \cdot \text{debit}_{\rightarrow}(cid, .) \\ \cdot \text{debit}_{\leftarrow}(.) \end{array} \right) \right. \right) \right)^*$$

- $\leq$  : prefix
- $\rightarrow$  : invocation
- $\leftarrow$  : completion
- \* : Kleene star
- . : append
- (.) : wildcard for parameter

```
interface S
  with ATM_S
    op authorize(in cardId, .; out ok)
    op debit(in cardId, .; out ok)
  end
```

# Verification Process: Dynamic Logic

## Dynamic Logic

- $\phi \rightarrow [p]\psi$
- forwards calculus:

$$\frac{\Gamma \vdash \{x := t\}[p]\psi, \Delta}{\Gamma \vdash [x := t; p]\psi, \Delta}$$

- $p$  : program statements
- $\phi$  : pre-condition
- $\psi$  : post-condition
- $\Gamma, \Delta$ : prestate context
- $\{x := t\}$  explicit substitution

## Hoare Logic

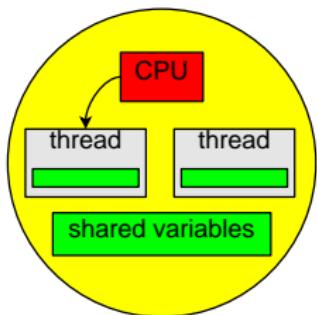
- $\{\phi\}p\{\psi\}$
- backwards calculus:

$$\frac{\{\phi[x/t]\}p\{\psi\}}{\{\phi\}p; x := t\{\psi\}}$$

# Verification Process: Object Level

$$\frac{\Gamma \vdash \text{inv}_c(\mathcal{H}, \overline{\mathcal{S}}), \Delta \quad \Gamma \vdash \{U_{\mathcal{H}, \overline{\mathcal{S}}}\}[p]\phi, \Delta}{\Gamma \vdash [\text{release}; p]\phi, \Delta}$$

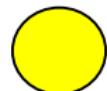
- $\mathcal{H}$  : history of the object  $\mathcal{H}$ /this
- $\overline{\mathcal{S}}$  : shared variables
- $p$  : following statements
- $\text{inv}_c$  : class invariant
- $U_{\mathcal{H}, \overline{\mathcal{S}}}$  : overwrite history, shared variables  
 $\mathcal{H}, \overline{\mathcal{S}} := \text{some } H, \overline{S}. (\text{inv}_c(H, \overline{S}) \wedge H \leq H)$



## Verification Process: System Level

$$\frac{\Gamma \vdash o = \text{null} \rightarrow [\text{block}; p]\phi, \Delta \quad \Gamma \vdash o \neq \text{null} \rightarrow Wf(\mathcal{H}) \wedge \text{inv}_I(\mathcal{H}/o/I), \Delta \quad \Gamma \vdash o \neq \text{null} \rightarrow \{U_{\text{label}}\}\{U_{\mathcal{H}}\}[p]\phi, \Delta}{\Gamma \vdash [\text{label} ! o.\text{mtd}(\bar{a}); p]\phi, \Delta}$$

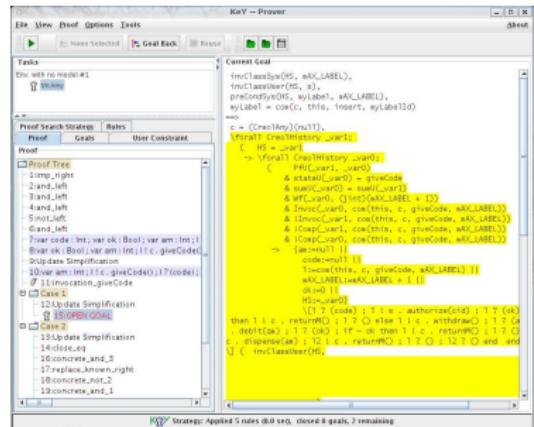
- $\mathcal{H}$  : history of the object  $\mathcal{H}/\text{this}$
- $p$  : following statements
- $\text{inv}_I$  : interface invariant
- $U_{\text{label}}$  : reference to method call  
 $\text{label} := (\text{this}, o, \text{mtd}, \bar{a}, i)$
- $U_{\mathcal{H}}$  : append invocation message



$$\mathcal{H} := \text{some } H. \left( \begin{array}{l} Wf(H) \wedge \mathcal{H} \leq H \wedge \text{inv}_I(H/o/I, \bar{a}) \\ \wedge \text{Invoc}(H, \text{label}) \wedge \neg \text{Invoc}(\mathcal{H}, \text{label}) \end{array} \right)$$

# The Prototype

- based on KeY
- interactive, automated theorem prover
- rules, problem files formulated as taclets
- creation of example specific rules necessary



## Example: Proof Statistics

- 2495 proof steps (in total)
- 27 branches
- 10% of all steps interactive

# Questions?